

## CS 2150 Exam 2, spring 2014

**Name** \_\_\_\_\_

You **MUST** write your e-mail ID on **EACH** page and bubble in your userid at the bottom of this first page. And put your name on the top of this page, too.

If you are still writing when “pens down” is called, your exam will be ripped up and not graded – even if you are still writing to fill in the bubble form. So please do that first. Sorry to have to be strict on this!

Other than bubbling in your userid at the bottom of this page, please do not write in the footer section of this page.

There are 8 pages to this exam. Once the exam starts, please make sure you have all the pages. Questions are worth different amounts of points.

**If you do not bubble in this first page properly, you will not receive credit for the exam!**

**Answers for the short-answer questions should not exceed about 20 words; if your answer is too long (say, more than 30 words), you will get a zero for that question!**

This exam is **CLOSED** text book, closed-notes, closed-calculator, closed-cell phone, closed-computer, closed-neighbor, etc. Questions are worth different amounts, so be sure to look over all the questions and plan your time accordingly. Please sign the honor pledge below.

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*Three things are certain:  
Death, taxes, and lost data.  
Guess which has occurred.*

(the bubble footer is automatically inserted into this space)

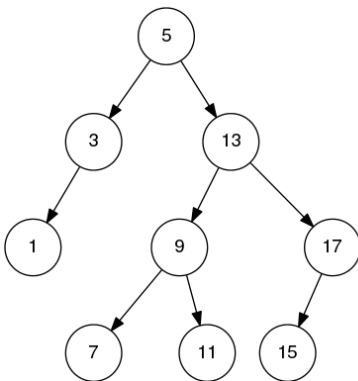


**Page 3: Trees**

4. [4 points] Describe the binary search tree removal algorithm.

5. [5 points] What are the properties of a red-black tree?

6. [3 points] Insert 6 into the AVL tree shown below. Show the resulting tree.



**Page 4: Hashes**

7. [8 points] Consider the four collision resolution strategies we have discussed in class. Assume we have a hash table of size 10, and our primary hash function for integers is  $h(x) = x \bmod 10$ . A secondary hash function, if needed, is  $h_2(x) = (x \bmod 5) + 1$ . Your task is to generate, for each of the four strategies, a sequence of three numbers to insert such that the second inserted number collides with the first (and thus probes (or chains) to a new spot), and the third inserted number collides with the second (and thus probes (or chains) to a new spot). Each strategy will likely have a different sequence of three numbers. Your numbers should be properly inserted into the hash table diagrams below, as per the appropriate collision resolution strategy. List the numbers in their insertion order underneath the table (i.e., if your numbers are 1, 2, and 3, then you should list "1,2,3" under that table).

Linear probing		Quadratic probing		Double hashing		Separate chaining	
0	<input type="text"/>	0	<input type="text"/>	0	<input type="text"/>	0	<input type="text"/>
1	<input type="text"/>	1	<input type="text"/>	1	<input type="text"/>	1	<input type="text"/>
2	<input type="text"/>	2	<input type="text"/>	2	<input type="text"/>	2	<input type="text"/>
3	<input type="text"/>	3	<input type="text"/>	3	<input type="text"/>	3	<input type="text"/>
4	<input type="text"/>	4	<input type="text"/>	4	<input type="text"/>	4	<input type="text"/>
5	<input type="text"/>	5	<input type="text"/>	5	<input type="text"/>	5	<input type="text"/>
6	<input type="text"/>	6	<input type="text"/>	6	<input type="text"/>	6	<input type="text"/>
7	<input type="text"/>	7	<input type="text"/>	7	<input type="text"/>	7	<input type="text"/>
8	<input type="text"/>	8	<input type="text"/>	8	<input type="text"/>	8	<input type="text"/>
9	<input type="text"/>	9	<input type="text"/>	9	<input type="text"/>	9	<input type="text"/>

8. [4 points] Which is more likely to occur, the linear run-time of a binary search tree, or the linear run-time of a hash table? Why?

**Page 5: IBCM**

9. [9 points] You are to implement, in IBCM, the equivalent of the C++ statement: `x = a[i];`. Assume that `x` (where to store the value), `a` (the array base address), and `i` (the index into the array) are currently defined variables somewhere in memory. Your answer should be in IBCM opcodes (i.e., `add foo`), and *not* hexadecimal code. You may define other values and labels as necessary, but clearly indicate what those values are. Your answer should be an IBCM code snippet (enough to accomplish this task), and should *not* be a complete IBCM program. The listing of IBCM opcodes is to the right, for your reference.

Hex	Opcode
0	halt
1	I/O
2	shifts
3	load
4	store
5	add
6	sub
7	and
8	or
9	xor
a	not
b	nop
c	jmp
d	jmpe
e	jmp1
f	brl

10. [3 points] Why did we bother learning IBCM in this course?





Page 8: Comic!

MISS LENHART COULDN'T BE HERE TODAY, SO SHE ASKED ME TO SUBSTITUTE.

**MATH** **MR. MUNROE**

I'VE PUT OUT YOUR TESTS. PLEASE GET STARTED.

MR. MUNROE, MISS LENHART NEVER TAUGHT US THIS.

THAT'S BECAUSE MISS LENHART DOESN'T UNDERSTAND HOW IMPORTANT CERTAIN KINDS OF MATH ARE.

BUT THIS JUST LOOKS --

THIS MATERIAL IS MORE VITAL THAN ANYTHING YOU'VE EVER LEARNED


BUT --

NO BUTS.

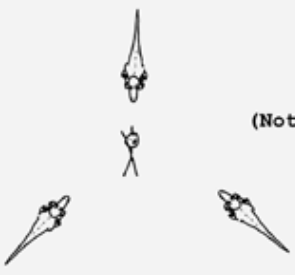
THIS IS A MATTER OF LIFE AND DEATH.

Name: \_\_\_\_\_

1. The velociraptor spots you 40 meters away and attacks, accelerating at  $4 \text{ m/s}^2$  up to its top speed of  $25 \text{ m/s}$ . When it spots you, you begin to flee, quickly reaching your top speed of  $6 \text{ m/s}$ . How far can you get before you're caught and devoured?



2. You are at the center of a 20m equilateral triangle with a raptor at each corner. The top raptor has a wounded leg and is limited to a top speed of  $10 \text{ m/s}$ .



(Not to scale)

The raptors will run toward you. At what angle should you run to maximize the time you stay alive?

3. Raptors can open doors, but they are slowed by them. Using the floor plan on the next page, plot a route through the building, assuming raptors take 5 minutes to open the first door and halve the time for each subsequent door. Remember, raptors run at  $10 \text{ m/s}$  and they do not know fear.